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# A non-linear index to evaluate a journal's scientific impact

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## **ABSTRACT**

The purpose of this study is to define a bibliometric indicator of the scientific impact of a journal, which combines objectivity with the ability to bridge many different bibliometric factors and in particular the side factors presented along with celebrated ISI impact factor. The particular goal is to determine a standard threshold value in which an independent self-organizing system will decide the correlation between this value and the impact factor of a journal. We name this factor ''Cited Distance Factor (CDF)" and it is extracted via a well-fitted, recurrent Elman neural network. For a case study of this implementation we used a dataset of all journals of cell biology, ranking them according to the impact factor from the Web of Science Database and then comparing the rank according to the cited distance. For clarity reasons we also compare the cited distance factor with already known measures and especially with the recently introduced eigenfactor of the institute of scientific information (ISI).

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## 1. Introduction

## 1.1. Background and motivation

Ever since the initial celebrated work by Garfield [\[13\],](#page-18-0) Garfield and Merton [\[14\]](#page-18-0), Pinski and Narin [\[33\]](#page-18-0) on the evaluation of a scientific impact of a scientific journal, a great body of research has emerged on the application of information processing methods for evaluating scientific publication venues, extending it also to the evaluation of an individuals' research output [\[20\].](#page-18-0)

Nonetheless, the issue concerning the evaluation of a journals' scientific impact still remains the essential priority of the scientometrics field [\[4,37,22\]](#page-18-0) due to the fact that is often used as a yardstick to provide an indication for the allocation of scientific budgets, the direction and future of research, as well as organizational decisions such as the employment of the researchers, the effectiveness of the research policy pursued and the subscription policy of academic libraries. The journal citation reports (JCR) provided by the Institute for Scientific Information (ISI), instituted by the work of Garfield [\[12\]](#page-18-0) are often the main source for these indicators to academic and research evaluation committees. Undoubtedly, in current academic practice, JCR is one of the most used sources for facilitating a researcher's access to high-quality, latter-day research.<sup>1</sup>

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<sup>&</sup>lt;sup>1</sup> With Elsevier's SCOPUS and other products such as NCBI Pubmed to receive also significant attention from researchers. Several disciplines such as Physics have advanced the evaluation of publications to an individual level such as for example the SPIRES research database hosted at Stanford Linear Accelerator Center (SLAC).

Apart from the impact factor, ISI provides a set of journal performance indicators supplied along with the impact factor of the journal. These performance indicators are categorized as follows: (a) Impact Factor (IF), a measure of the frequency with which the average article in a journal has been cited in a given period of time which is referred to, in a two year time span after publication in other words this cites in year x to items published in: x – 1 and x – 2; (b) Immediacy index (I.I) which concerns the average number of times an article is cited in the year it is published; (c) Cited half-life (Cd. H-L), the number of years, going back from the current year, that account for half the total citations received by the cited journal in the current year; (d) Citing half-life (Cg. H-L), the number of years from the current year that account for 50% of the cited references from articles published by a journal in the current year.<sup>2</sup>

## 1.2. Problems with the impact factor

While undoubtedly the impact factor is accepted as a key indicator for scientific quality there are criticism as to its misuse since it cannot be directly related to an individuals' research output and thus is not always a reliable instrument for measuring the quality of publication venues [\[38\].](#page-18-0) Also several attempts made by different authors to count the number of citations, no matter how prestigious the citing journal is [\[18\]](#page-18-0), or to introduce more sophisticated journal citation measures and the reasons why many indicators aiming at a correction of methodological limitations of the Impact Factor have also made a point to that direction. In particular the shortcomings of the slow citation window and subject biases [\[16\]](#page-18-0) cannot be tackled by the overall assessment of the impact factor and any attempt to evaluate a journal should take into account these factors and that is in fact an intuition in this study. It is broadly argued that its use for purposes for which it was not intended, causes even greater unfairness [\[1,21\].](#page-18-0) Related research also suggests that research evaluation should also be adjusted to account for variables such as domain specialty, citation density, and half-life [\[42,27\]](#page-18-0). Furthermore, apart from being non-representative, the journal impact factor is encumbered with several shortcomings of a technical and more fundamental nature such as the intention to cite [\[28\]](#page-18-0).

To this end, the focus of this study is to provide an index that results as a combination of the different performance indicators that cover a publication period and citation window. These indicators are designed to measure ageing characteristics of subject fields and journal literature, or to help to distinguish between slow and fast reception of scientific information [\[16\]](#page-18-0). Therefore the problem which originates from the separation slow and fast reception sciences journal, leads to calculate unequal values for Impact Factor in different scientific areas while they have the same impact in their category. We summarize the aim and scopes of this study in the section that follows.

#### 1.3. Aim and scopes of this study

The major goal of this study, is to provide empirical evidence to support that journal performance indicators, and in particular the indexes provided by Journal Citation Report (JCR): Impact Factor (IF), Immediacy Index (I.I), Cited half-life (Cd-h.l) and Citing half-life (Cg-h.l), play an important role in differentiating the original ranking by the IF when taking also these factors into consideration. To achieve this objective we create an ideal factor namely the Cited Distance factor, which measures the difference between a predetermined value and a representative value for each journal. Thus, the smallest the aforementioned distance is, the higher the ranking of the journal will be. The determination of these values is given in Sections 2.2 and 2.3.

All the journal performance indicators mentioned above have a common property: they evaluate the citations in a different statistical way. The next issue that we address in this study is to identify the statistical procedure that could solve the problem of the combination of these indicators in a single non-linear index for measuring and evaluating publication venues.

We chose to address this issue with a well-defined neural network (NN) in order to provide an appropriate weight in the process of learning for input vectors. This can be judged by the fact that each indicator refers to a different characteristic of the performance of the journal (e.g. citation window) and a simple linear combination of the above cannot provide an accurate picture. Some similar attempts such as the Eigenfactor move to that direction as well [\[2\].](#page-18-0) Furthermore the recent introduction by ISI of the Eigenfactor as a measure for evaluating the scientific impact for a journal, justifies the need for a more sophisticated way of combining the different journal performance indicators into a more accurate and holistic measure. The intuition of the Eigenfactor can to some extend be considered similar with other celebrated measures that rely on the calculation of eigenvalues [\[3\]](#page-18-0) such as for example the celebrated page rank algorithm (where the page rank values are computed from the stationary vector rather than the eigenvector) and to that extend we also examine the relation of the proposed CD factor with other measures and in particular with the Eigenfactor and journal adapted h-index.

The problems which are handled with these vectors are the variability which they present periodically for which they depend in turn on the differentiation of the aforementioned indicators. Furthermore, this NN could be trained to recognize and produce both spatial and temporal patterns which solve the problem of the factors variability using a threshold value in order to support rule-based decision process. Thus, the proposed cited distance factor, which is extracted via a neural network processing, returns a number which may be considered as an ideal combination of the JCR side factors. In this way, we

<sup>&</sup>lt;sup>2</sup> [http://www.isi.org/](http://www.isi.org) (Accessed 6th June 2009).

<span id="page-2-0"></span>proposed an alternative measure to solve the problem of the separation of the slow and fast reception of journals as well as the fair separation of high, medium and low class.

The intuition to select the recurrent Elman Neural network over other similar neural network models such as the standard back-propagation (BP), or the self-organizing map (SOM) was based on the nature of the research inquiry tackled in this paper which entails the combination of several side indexes into one index. Furthermore a similar paper by [\[26\]](#page-18-0) on the comparison of NN architectures (multilayer perceptron (MLP) trained with the back-propagation and Resilient Back-propagation (RPROP)), showed that the best prediction accuracy was obtained with the extended Elman neural network. Also, one of the original issues with SOM is that it is not appropriate for clustering but mostly as a way of obtaining a mapping of a complex, multidimensional space onto a simpler two-dimensional space, as represented by the network [\[24\].](#page-18-0)

The broad goal of the suggested index is that it should cover universality and objectivity. Furthermore in the process of developing the learning procedure of the evaluated neural network model, we created weighted values for every four coefficients, which with the use of a training function we unify them in one index that we call a. This index a represents a bibliometric indicator which includes the features of the aforementioned partially uncorrelated journal performance indicators. Thus, this value a is compared with a predetermined bound value  $\theta_h$  that defines the neural network. The  $\theta_h$  value is one of the four [\(4\)](#page-3-0) thresholds, namely (1.5,0.5, –0.5, –1.5) which create an activation function which determines the discrimination between a number of classes of the input vectors. In this way the proposed cited distancevalue is calculated from the difference between the specific indicator and the value 1.5 (see Eq. [\(6\)](#page-4-0)). These classes represent the probabilistic categories of journals. The selection of the suitable number of categories used in this study is three (3) which was extracted using the k-means clustering and t-test methods. More details are given in Sections 3.2 and 3.3.

To this end this paper is structured as follows. Section 2 presents the methodology and the configuration of the Elman Neural Network used for the calculation of the citing distance. We believe that this method includes an unbiased and fair evaluation of the scientific impact of a journal as compared with the IF The pre-processing of the data to be analyzed is presented in the experimental part in Sections 3.1 and 3.2 respectively. We provide the experimental procedure and results as well as an evaluation of their validity in Section 4. We conclude this study in Section 5 with remarks for future research.

#### 2. Method and constructs

As aforementioned, the objective of this study can be abstracted to the problem of classification among three probabilistic categories of journals. Each category creates an upper and lower bound in which we have classified the IF for each journal.

These categories are determined from three evaluated decisions: maximum (max), medium (med) and minimum (min) groups of IF's. Taking this problem into account, we selected the artificial Elman neural network as the most efficient network in order to classify the proposed categories. While the Elman setting is essentially a variation of the general class of neural networks called multilayer perceptron [\[5\]](#page-18-0) the selection of this setting was done because of the ability of the particular network topology to store information for future updated factors. Due to this fact this neural network setting is able to learn temporal as well as spatial patterns. The Elman network can be trained to respond, and to generate, both kinds of patterns [\[32\].](#page-18-0) Thus, this classification model adapts successfully to the training procedure of the proposed categories because these categories present the temporal and spatial characteristics of the network's units. These characteristics are the source of the unpredictable rhythm for those cited journals that are published continually. Furthermore, this neural network has the ability to produce a well-determined statistical indicator, which would be considered as the ideal global indicator [\[6\].](#page-18-0)

#### 2.1. Architecture of the Elman neural network

The Elman network is a two-layer network with feedback in the first layer. This recurrent connection allows the Elman network to both detect and generate time-varying patterns [\[29\]](#page-18-0). In particular, the Elman network consists of two layers: a hidden (recurrent) layer and an output layer. The hidden layer, which is the recurrent layer is composed of neurons with a hyperbolic tangent activation function (tansig) as described in the original implementation [\[9\]](#page-18-0) and is governed by the following equation:

tansig(X) = 
$$
\frac{1 - e^{-2x}}{1 + e^{-2x}}.
$$
 (1)

The output layer is characterized by a linear activation function [\[7\].](#page-18-0) In our case this is responded by the three different types of input vectors.

#### 2.2. Summing and activation functions

A modified Elman, with non-linear neurons in the hidden layer and linear neurons in the remaining layers, is employed, and the hyperbolic tangent function (see Eq. (1)) has been adopted as the activation function of the non-linear neurons. In this case, the significant issue to address is the discrimination thresholds between the input classes of vectors [\[11\]](#page-18-0) where the threshold is an adaptive value obtained as a function of the maximum of the difference between the log-likelihood of the maximum category and the log-likelihood of the medium and minimum categories, respectively [\[36,46\]](#page-18-0). Furthermore, it

<span id="page-3-0"></span>is known from a biological context that a neuron becomes activated when it detects electrical signals from the neurons to which it is connected [\[30\]](#page-18-0). If these signals are sufficient, the neuron will send electrical signals to the neurons connected to it. An activation function is similar – the artificial neuron will output a value based on inputs received. It is almost always the case that a neuron will output a value between [0,1] or [-1,1]. This normalization of data occurs by using the summed inputs as a parameter to a normalization function which represents the activation function [\[40\].](#page-18-0) In the Elman network, the activation function is accomplished by the network training procedure, which receives  $x_i$  input training vectors, and the following polynomial y term in sigma–pi units is extracted:

$$
y = f\left(\sum (w_{ij}x_j)\right),\tag{2}
$$

where:

 $j$  = represents the number of training vectors in the input; and

 $i$  = the number of training epochs.

The network described here uses back-propagation as the learning algorithm. This algorithm permits us to modify the weights in the network in response to the errors produced for the training data. In the most general terms, the algorithm can be understood as a way to accomplish credit/blame assignment. More specifically, the algorithm involves the following weight adjustment equation [\[10,41\]](#page-18-0):

$$
w_{ij}=n\delta_i a_j.
$$

This equation defines the weight change between any two units,  $i$  and  $j$ , as the product of three terms. The first term,  $n$ , is a scaling constant and is referred to as the learning rate. It is typically a small value, so learning occurs in small increments. The last term,  $a_i$ , is the activation of the sender and implements the credit/blame aspect of the algorithm [\[10,44\].](#page-18-0) The middle term,  $\delta_i$ , is calculated as follows:

 $\delta_l = f'(net),$ 

where the error (in the case of an output unit) simply represents the discrepancy between the target output of the unit and the actual output, while  $f(net)$  represents the derivative of the receiver unit's activation function, given its current net input. Eq. (2) is transformed by the following equation:

$$
y = f(g - \theta_h),
$$

where

$$
g=\prod_{i=1}^N_{j=1}x_i^{w_{ij}},
$$

N is the number of experimental training epochs;  $f(x)$  is the activation function, which normally takes the form of a sigmoidal or threshold function; g is the total input stimulus; and  $\theta_h$  is the threshold.

In this section we argue that the coordinated trajectory dynamics clearly represent a solution that can process the maximum, medium and minimum performance cases. The argument is based on the dynamic properties of the linearised systems derived in the analysis (see Section 2.1). Our construction is an application of the counting solutions of analog computation theory, except that our system can produce output predictions that are linearly separable [\[36\]](#page-18-0). The Elman network is set to respond within the following thresholds, which are determined by the following piecewise-linear function [\[36\]](#page-18-0):

$$
f(x) = \begin{cases} +1 - if, & +1.5 < x \leq 0.5 \\ 0 - if, & +0.5 < x \leq -0.5 \\ -1 - if, & -0.5 < x \leq -1.5 \end{cases} \tag{4}
$$

In our case, function  $f(1)$  corresponds to the maximum (citations) case with a low threshold value of 0.5; function  $f(2)$  corresponds to the medium (citations) case with a low threshold value of 1.5; and function  $f(2)$  corresponds to the minimum (citations) case with a low threshold value of 2.5. The minimum threshold of 0.5 is considered to be the value of an ideal article, which is compared to an extracted value denoting an article's impact factor. This configuration is established by default in the activation learning procedure, where a neuron that is activated by a class of input vectors,  $u_1$  (maximum case), returns threshold values between 0.5 and 1.5 (see [Figs. 2 and 3](#page-10-0)). The same is true for u2 and u3. So the purpose of a specific minimum threshold is to compare each extracted value of the unknown vector being tested using the Matlab purellin [\[8\]](#page-18-0) function with a value of 0.5.

Thus, the inputs to the network are coded in binary using 1, 2 or 3 values (see Eq. (4)). Each input is weighted with its appropriate weight,  $W_{ii}$ , and the sum of the weighted inputs and the bias form the input to the transfer function. The outputs of the transfer function are then fed into the hidden layer as inputs. The output prediction value is derived using the same

<span id="page-4-0"></span>procedure from the hidden layer to the output layer. The log-sigmoid transfer function used and the relationship between inputs and outputs is as follows [\[8\]](#page-18-0):

$$
f(x)=\frac{1}{1+e^{-x}}.
$$

In the training procedure, the extracted weights (W1 and W2) create the rule by organising the normalized input vectors in relation to the thresholds. In this way, the constructed Elman neural network creates a global 'cited' coefficient. The extracted distance values depend exclusively upon a well-fitted neural network. This adaptation depends upon the correct ranking of the trained vectors in the established categories, a suitable setting for the trained vector values for each category, and finally, the selected number of neurons.

#### 2.3. Extraction of the cited distance

In the network testing procedure, each candidate testing vector  $x$  is related to the extracted weights of the training procedure via Eq. (3), and this relation is depicted by the following equation:

$$
a = -\frac{\ln |(f(x) - 1.5)|}{x}.
$$
\n(5)

Finally, the cited distance is calculated by the following equation:

$$
dist = |a - \theta_h|,\tag{6}
$$

where, in our case  $\theta_h = -1.5$ 

Having described the methodology and the constructs for the development of the proposed indicator we proceed to the evaluation and the experimental part of this study.

## 3. Experimental part

## 3.1. Dataset description

In our study we conducted a search of the Web of Science database in the 2007 (citations in 2007 to articles published in 2006 and 2005) for the subject category of Cell Biology and ranked the journals by the corresponding IF (see [Table 1](#page-5-0)).

It must be noted that the citations amounts are refereed indirectly via IF which is calculated as Cites to recent items/Number of recent items. In our case, the constructed NN used only the IF values and in this case we used indirectly and the citations amount.

[Table 1](#page-5-0) presents the complete ranking of the selected journals (with their acronyms corresponding to the abbreviated titles in the JCR database). The last two columns (value  $\alpha$  and cited distance) have been completed following the procedure in Section 2.3. As a sampling scientific field the area of cell biology was selected because is a highly dynamic research field, where published reports rapidly become obsolete, a large proportion of citations are captured by the short-term index used to calculate journal impact factors, as previously discussed; but fields with a more durable literature, such as mathematics, have a smaller fraction of short-term citations and hence lower journal impact factors [\[27,38\]](#page-18-0).

## 3.2. Unsupervised data clustering using K-means

One particular issue with the dataset is to define the number of categories to which we will classify the journals according to their impact factor. In order to come with a safe result we used the celebrated K-means clustering algorithm to examine whether two or three groups is the optimal clustering approach for the dataset presented in [Table 1.](#page-5-0) The procedure follows a trivial way to classify a given data set through a certain number of clusters (assume k clusters) fixed a priori. The main idea is to define k centroids, one for each cluster. These centroids should be placed in a cunning way because of different location causes different result and a loop evaluates this case recurrently . In our case we submitted the IF data set (of [Table 1\)](#page-5-0) into  $k = 2$  or 3 clusters using the following objective function.

$$
J=\sum_{j=1}^k\,\sum_{i=1}^n\,\Bigl\|x_i^{(j)}-c_j\Bigr\|.
$$

The results of the clustering for the cases  $k = 2$  and 3 are given in [Table 1.](#page-5-0) This is generated from a k-mean processing of 176 vectors with size 4 from IF, I.I, Cd-h.l and Cg-h.l indexes and the result for the  $k = 2$  and  $k = 3$  are present in [Fig. 1.](#page-8-0)

Having obtained the classification of the ranked list of the journals in  $k = 2$  and  $k = 3$  we proceed with a statistical evaluation of the classification results in order to assert that the neural network input vectors are accurate.

## <span id="page-5-0"></span>Table 1

The alteration in the journals ranking according to the cited distance index.



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(continued on next page)

**Table 1** (continued)





<span id="page-8-0"></span>

Fig. 1. K-mean clustering procedure, the colours blue and red represent the clusters  $k = 2$  case while the colours blue, red and green represent the clusters k = 2 case. (For interpretation of the references to colour in this figure legend, the reader is referred to the web version of this article.)

#### 3.3. Validation of homogeneity and hypothesis testing

In order to evaluate the optimal value for k we used a *t*-test evaluation between the two cases ( $k = 2$  and  $k = 3$ ). For this reason, we use first the t-test technique procedure among the three groups as can be seen in [Table 5](#page-9-0), where it is obvious (columns with gray background) that the first, second and third category have got strong differentiation, r value is less than 0.80 (see Eq. [\(9\)\)](#page-12-0). Therefore we confirm that indeed the journals from 1 to 11, 64 to 76 and 143 to 155 belong to first, second and third category respectively and this is the optimal value for the K.

According to Section 2, we created input vectors of size  $1 \times 4$ , that represent the values of the four examined factors. Preparing to setting data values of the three categories (max med, min) of input vectors, we tested in t-statistic differentiation control, having in mind the learning procedure of the neural network. For this reason we checked the fundamental data value that differentiates one category from another, using Tests of (least-squares) Correlation Coefficients.

In particular, for this implementation, we created a number of  $C_i$  vectors (1  $\times$  4) for each time. In particular, we created four [\(4\)](#page-3-0) categories of vectors which were generated as follows:

- 1. C<sub>i</sub> vectors (1  $\times$  4) sizes' with IF between, 12.436  $\leq$  IF  $\leq$  31.921 (see Table 2) with  $i = 1, \ldots, k$ , where  $k = 11$ .
- 2.  $C_i$  vectors (1  $\times$  4) sizes' with IF between, 3.092  $\leq$  IF  $\leq$  3.557 (see [Table 3](#page-9-0)) with  $i = 1, \ldots, k$ , where  $k = 10$ .
- 3.  $C_i$  vectors (1  $\times$  4) sizes' with IF between,  $0 \le \text{IF} \le 0.986$  (see [Table 4\)](#page-9-0) with  $i = 1, \ldots, k$ , where  $k = 10$ .
- 4.  $C_i$  vectors (1  $\times$  4) sizes' selected of difference categories (see [Table 5](#page-9-0))  $i = 1, \ldots, k$ , where  $k = 9$ .

After that, we implemented the cross-correlation procedure by correlating each time a vector Cx of each category with the other vector Cy of the same category. This correlation is repeated until all the combinations will be executed see Tables 2–5. The cross-correlation coefficients for each time were extracted by the following equation:

$$
r = \frac{\sum_{i=1}^{k} (\widehat{C}x_i - \overline{\widehat{C}}x_i)(\widehat{C}y_i - \overline{\widehat{C}}y_i)}{\sqrt{\sum_{i=1}^{k} (\widehat{C}x_i - \overline{\widehat{C}}x_i)^2 \sum_{i=1}^{k} (\widehat{C}y_i - \overline{\widehat{C}}y_i)^2}}
$$

Table 2 The *t*-test control for journals with IF between,  $12.436 \leq F \leq 31.921$ .

Rank IF	Impact factor	Immediacy index	Cited half-life	Citing half-time	
	31.921	6.205	4.0	4.1	1.0
	29.887	6.402	8.7	4.5	0.99
	26.382	6.342	5.7	4.5	1.0
	23.545	1.320	6.7	5.4	0.95
	17.623	4.347	4.9	4.7	0.99
6	17.148	2.772	2.1	4.8	0.98
8	13.527	2.403	4.9	3.8	0.96
	13.444	1.667	5.7	3.0	0.93
10	13.156	3.010	4.6	4.9	0.97
	12.436	3.037	3.7	5.1	0.97

#### <span id="page-9-0"></span>Table 3

The t-test control for journals with IF between,  $3.092 \leq F \leq 3.557$  Table 3.



#### Table 4

The t-test control for journals with IF, between  $0 \leqslant$  IF  $\leqslant$  0.986.



#### Table 5

The cross-correlation procedure among the three groups (K-means classification results in brackets where the first bracket corresponds in  $k = 2$  cluster and the second in  $k = 3$  cluster).

Rank IF		2		64	66	68	150	152	156
	1.00[1]/[1]	$0.99$ [1]/[1]	$1.00$ [1]/[1]	$0.07$ [1]/[3]	$0.24$ [1]/ [2]	$0.20$ [1]/[2]	$0.61$ [1]/[3]	$0.61$ [1]/[3]	$0.39$ [1]/[3]
	$0.99$ [1]/[1]	$1.00$ [1]/[1]	$0.99$ [1]/[1]	$0.10$ [1]/[3]	$0.01$ [1]/ [2]	$0.10$ [1]/[2]	$0.54$ [1]/[3]	$0.56$ [1]/[3]	$0.57$ [1]/[3]
	$1.00$ [1]/[1]	$0.99$ [1]/[1]	$1.00$ [1]/[1]	$0.10$ [1]/[3]	$0.03$ [1]/ [2]	$0.10$ [1]/[2]	$0.57$ [1]/[3]	$0.60$ [1]/[3]	$0.42$ [1]/[3]
64	$0.08$ [2]/[1]	$0.09$ [2]/[1]]	$0.08$ [2]/[1]	$1.00$ [2]/[3]	$0.99$ [2]/[2]	$0.99$ [2]/[2]	$0.66$ [2]/[3]	$0.72$ [2]/[3]	$0.59$ [2]/[3]
66	$0.03$ [1]/[1]	$0.01$ [1]/[1]	$0.03$ [1]/[1]	$0.99$ [1]/[3]	$1.00$ [1]/[2]	$0.97$ [1]/[2]	$0.74$ [1]/[3]	$0.80$ [1]/[3]	$0.68$ [1]/[3]
68	$0.12$ [1]/[1]	$0.10$ [1]/[1]	$0.10$ [1]/[1]	$0.99$ [1]/[3]	$0.97$ [1]/[2]	$1.00$ [1]/[2]	$0.57$ [1]/[3]	$0.66$ [1]/[3]	$0.49$ [1]/[3]
150	$0.61$ [2]/[1]	$0.53$ [2]/[1]	$0.60$ [2]/[1]	$0.65$ [2]/[3]	$0.74$ [2]/[2]	$0.57$ [2]/[2]	$1.00$ [2]/[3]	$0.98$ [2]/[3]	$1.00$ [2]/[3]
152	$0.61$ [2]/[1]	$0.56$ [2]/[1]	$0.60$ [2]/[1]	$0.72$ [2]/[3]	$0.80$ [2]/[2]	$0.66$ [2]/[2]	$0.98$ [2]/[3]	$1.00$ [2]/[3]	$0.96$ [2]/[3]
155	$0.65$ [2]/[1]	$0.57$ [2]/[1]	$0.63$ [2]/[1]	$0.60$ [2]/[3]	$0.68$ [2]/[2]	$0.50$ [2]/[2]	$1.00$ [2]/[3]	$0.96$ [2]/[3]	1.00 [2]/[3]

In our case, we needed to test whether r was significant. In such tests, r is the sample-derived estimate of  $\rho$ . Then we considered that the null hypothesis is:  $H_0$  :  $\rho_0 = 0$ . Therefore, the sampling distribution of rfor a population that has zero correlation ( $\rho = 0$ ) has a mean value of  $\mu = 0$  and, hence, a *t*-statistic can be calculated as:

$$
\sigma = \sqrt{\frac{(1 - r^2)}{k - 2}},
$$
\n
$$
t = \frac{r - \mu}{\sigma} = \frac{r}{\sqrt{\frac{(1 - r^2)}{k - 2}}} = \frac{r\sqrt{k - 2}}{\sqrt{1 - r^2}}.
$$
\n(7)

The next step was to determine the appropriate value of the  $r$  coefficient in order to characterize it as a significant linear relationship between the correlated sets in our experiment. Thus, having  $k=4$ , and the degree of freedom  $v=k-2=2$ , we chose  $a = 0.1$  and thus found critical  $t_{\alpha/2} = 1.89$ . Then the significant value of r was calculated as follows:

$$
t_{\alpha/2} = \frac{r\sqrt{k-2}}{\sqrt{1-r^2}} \Rightarrow 1.89^2 = \frac{2r^2}{1-r^2} \Rightarrow r = \pm 0.80. \tag{7}
$$

In our case, r may be characterized as significant when the null hypothesis is rejected  $(1 \leq r \leq 0.80)$ . The procedure of choosing the sets was done by adhering to the following procedure: We chose, after many experimental tests, each category vector that satisfied the null hypothesis  $(1 \leq r \leq 0.80)$  because if there are three groups to compare  $(1-3)$  then we would

<span id="page-10-0"></span>

**Fig. 2.** The training procedure, which is divided into the following steps: (A) the input vectors P, (B) the vector C of classes ( $-1,0,1$ ), and (C) the functions initelm and the trainelm which implement the training procedure.

need three separate t-tests (comparing 1 with 2, 1 with 3, and 2 with 3). As an initial grouping we took the IF ranking and constructed three input categories These input categories show up in [Tables 2–4.](#page-8-0)

The above followed an extra control to check if the vectors of the three categories [\(Tables 2–4](#page-8-0)) differentiated among them (see [Table 5\)](#page-9-0).

## 3.4. Experimental Elman neural network setting

Having prepared the dataset and the classification of the items in three groups we proceed with the evaluation of the Elman Neural Network. This part is divided into two sub-stages: (a) the appropriate pre-processing of the vectors which train the Elman network, and (b) the experimental setting. We describe these two stages below.

#### 3.4.1. Training preprocess

We train vectors with various features by minimizing an appropriate error function defined with respect to an Elman neural network using the holdout method [\[35\].](#page-18-0)

The holdout method is the simplest kind of cross validation. The dataset is separated into two sets, called the training set and the testing set. The function approximation fits a function using only the training set. Then it is asked to predict the output values for the data in the testing set (it has never seen these values before). The errors it makes are accumulated, as before, to give the mean absolute test set error, which is used to evaluate the model. The advantage of this method is that it is usually preferable to the residual method and takes no longer to compute [\[25\].](#page-18-0)

According to this method we used three classes of 10 vectors each (first for the maximum, second for the medium and third for the minimum values of IF):

In the first class we put the journals that have a high IF in a way that is explained in Section 3.2 (see [Table 2\)](#page-8-0). In the second class, we put the journals with a medium IF, which were extracted from the same t-test control (see [Table 3\)](#page-9-0). Finally, in the third class, we put the journals with a minimum IF, also extracted from the same t-test control (see [Table 4](#page-9-0)). For the implementation of the training procedure we used first the Elman network training procedure included in Matlab (initelm), in order to normalize the input vectors  $(u, k, m)$  and to extract the weights and bias coefficients of input vectors; thereafter, we <span id="page-11-0"></span>trained these coefficients with the trainelm function. Partial view of the code implementation of the self-developed system is provided in [Fig. 2.](#page-10-0)

## 3.4.2. Experimental setting

Having provided the configuration of the Elman network and the input data, we proceed to the experiment setting. In this stage we trained the Elman networks as optimum with 30 vectors, ten for each category and size  $1 \times 4$  each. Then it was submitted for experimental training this configuration and after a training epoch, the neural network conditions imposed were satisfied after 284 training rounds. As can be seen in Fig. 3 we obtained the best convergence (284 epochs) using [\(7\)](#page-9-0) seven neurons with a sum squared error of 0.02.

Having trained and configured our neural network we continue to the analysis of the dataset described on Section 3.1.

## 4. Results and validity

#### 4.1. Testing procedure

At this point, 125 vectors participated in the procedure. According to Eq. [\(5\)](#page-4-0) and using the sigmoid function simuelm of the neural network tollbox in Matalb [\[43\]](#page-18-0) we obtained the values (a) of the ranking in relation to the threshold values  $-1.5 < x < 1.5$  (see Section 2). In this procedure, three kinds of vectors participated: the max  $(u)$ , medium  $(k)$  and minimum (m). Furthermore, we calculated the cited distance according to Eq. [\(6\)](#page-4-0) where:  $\theta_h=-1.5.$  All the testing results of the Elman NN are presented in detail in [Table 1](#page-5-0) and specifically in column ''a value" which represents the reaction of the ''purelin" function in a input testing vector [\[43\].](#page-18-0) In more details, the purelin function which is implemented via Eq. [\(5\)](#page-4-0) compare the values of each vector with the weight matrixes  $w1$ ,  $w2$  of the learning system returning the "a value". For example in [Table 1](#page-5-0) the first Journal with IF rank equal to 1 and values [31.921 6.205 44.1] is compared with the weight matrixes w1 and w2 (see [Fig. 4](#page-12-0)) and returns an "a value =  $-0.9845$  " and "distance value =  $0.515$ " (|  $1.5$   $(-0.9845)$   $=$   $0.5155$ |).

## 4.2. Statistical evaluation

The results presented in [Table 1](#page-5-0) show a slight change in initial ranking for journals with high IF (according to IF). As the values of IF's go down, the changes made are more perceptible (for cited distance values, see [Table 1,](#page-5-0) columns 'Rank IF' initial values and 'Rank CD' the new ranking). In order to find in a more dependable manner the criterion of this differentiation, we executed a Wilcoxon test [\[45\].](#page-19-0) We adopted this test because it is possible to make comparisons between two groups using means in paired samples and chi-square analysis. This method is considered more powerful than other non-parametric testpaired samples [\[25\].](#page-18-0) For the above reasons, we performed three (3) Wilcoxon tests for each category (high, medium and min) in order to evaluate the observed differences.

For the implementation of this, we used three sub-tables of [Table 1](#page-5-0) (sizes'  $2 \times 29$ ,  $2 \times 83$  and  $2 \times 43$ ) which correspond to the max, med and min categories. This separation took place according to the bounded value of the Elman neural network (see Eq. [\(4\)](#page-3-0)). We implemented this method via the ranksum function of matlab, which returns STATS, a structure with one or two fields. The field 'ranksum' contains the value of the rank sum statistic. For the 'approximate' method, the field 'zval' con-



Fig. 3. Elman ( $1 \times 4$  dimensionality vector).

<span id="page-12-0"></span>



tains the value of the normal  $(Z)$  statistic. In our case, the null hypothesis is based on the hypothesis test, performed at the 0.05 significance level, in H.  $H = 0$  indicates that the null hypothesis ("medians are equal") cannot be rejected at the 5% level.  $H = 1$  indicates that the null hypothesis can be rejected at the 5% level. Thus, as data of the first sub-table of max category we used the first 29 values of the columns Rank IF (first population) and Rank CD (second population) respectively (see [Table 6](#page-13-0)). In the same way, we used the data from the second category ( $2 \times 83$ ) and the third category ( $2 \times 43$ ). Then, for data consisting of a large number of pairs  $(n)$  the random variable T is distributed approximated normally with a mean of:

$$
\mu_{T} = \frac{n(n+1)}{4}.\tag{8}
$$

And a standard error of

$$
\sigma_T = \sqrt{\frac{n(n+1)(2n+1)}{24}},
$$
\nThus, we can calculate 
$$
Z = \frac{|T - \mu_T|}{\sigma_T}.
$$

\n(10)

We have considered as the null Hypothesis that the categories of the population of IF and CD results are not differentiated significantly for a two-tailed test, and that Z is compared to the critical value,  $Z_{\alpha(2)}$  which for  $\alpha = 0.05$ . This control is also realised in the three categories (max, med, min) using the same hull hypothesis, that is to say:

 $H_0 = 0$  if  $-1.96 < Z < 1.96$  accept, or reject when the  $H_0$  if  $Z < -1.96$  or  $Z > 1.96$ .

Taking into account that all cases (29,83,43) belong to the above case; we calculated the probability in which the null hypothesis is satisfied by the criterion (see Eq. (10)). The results of these Wilcoxon tests are presented in [Table 6.](#page-13-0)

## 4.3. Benchmarking comparison of the CD index with the impact factor, H-index and Eigenfactor

Taking so far into account that the proposed CD index takes into account journal performance indicators on a similar way as the IF, we performed a comparison between the CD factor and other ranking indexes. In this way we were particularly interested to compare the CD factor with other journal ranking indexes and in particular as aforementioned in the introduction, the journal adapted H-Index (obtained from [\[19\]\)](#page-18-0) and the recently introduced ISI Eigenfactor.

<sup>3</sup> [http://www.info.scopus.com/](http://www.info.scopus.com).

The objective of this step was to evaluate the degree of possible (strong or weak) correlation between those indexes. For this purpose, we used the Spearman correlation coefficient because of its robustness and based on the assumption that these indexes have non-normal distributions and thus a non-parametric measure was needed [\[19\]](#page-18-0). In our case, we used 155 values of each of the correlated indexes The data for the calculation of Eigenfactor and the H-index was collected from the ISI Web of Science and Elsevier Scopus<sup>3</sup> database for the period 2005–2007. Applying this method we considered that for large value  $n = 155$  we used for probability  $\alpha = 0.05$  critical value  $z = 1.96$  [\[47\]](#page-19-0) and the significant value r is calculated by the formula

$$
r = \pm z \left( \sqrt{n-1} \right) = \pm 1.96 \left( \sqrt{155 - 1} \right) = 0.1579 \, [47].
$$

In the case the absolute value of the test statistic r exceeds the positive critical value, then we reject the null hypothesis that  $H_0$ : Po = 0, thus conclude that the parts are correlated.

To this end, using this critical value we extracted all the combination pairs of the spearman correlation coefficient. In total six pairs were measured and the results are listed as follows (significance level in parenthesis).



#### <span id="page-13-0"></span>Table 6

Wilcoxon test for the max, med and min categories.

Category Populations Ranking values Statistic indexes



- $\bullet$  0.9442 ( $p < 0.000$ ) between the Proposed CD index and the IF;
- $\bullet$  0.7300 ( $p < 0.000$ ) between Proposed CD index and the ISI eigenfactor;
- $\bullet$  0.6100 ( $p < 0.000$ ) between Proposed CD index and the h-index;
- 0.6727 ( $p < 0.000$ ) between IF and the ISI eigenfactor:
- $\bullet$  0.5727 ( $p < 0.000$ ) between IF and the h-index;
- 0.4105 ( $p < 0.000$ ) between Eigenfactor and the h-index.

Given that these six sets of indices have different data sources (ISI Thomson JCR versus Scopus database) the strong correlation delivers an interesting result. In particular, we note that the CD strong correlated with IF (such as expected). However, the CD indexes gave stronger correlation with all the comparisons than the other indexes comparisons. In particular the following comparison sets prove statistically that the CD ranking is significantly better as a substitute of the IF when compared with other ranking indexes:

- Comparison of CD with IF and Eigenfactor: 0.7300 > 0.6727.
- Comparison of CD with IF and  $h$ -index:  $0.6100 > 0.5727$ .
- Comparison CD with Eigenfactor regarding h-index: 0.6100 > 0.4105.

A graphical scatter plot of correlation between the CD and the other indices is depicted in Fig. 5.

From the figure we can observe an ideal linear relation among the CD factor and the impact factor which shows the validity of the neural network combination of the side indicators used during the pre-processing stage.

## 5. Conclusions and future work

## 5.1. Summary

This study tackled the definition of a bibliometric indicator that concludes the IF with the side performance indicators of a scientific journals namely the *Immediacy Index (II)*, the Cited half life (Cd-hl) and the Citing half-life (Cg-hl). The goal was to create a factor that would correlate the four aforementioned factors that were previously rather uncorrelated. To comply with this objective, we used a well-fitted Elman neural network. The major issue that had to be addressed with this setting was in the ranking of the IF's categories – max, med and min – which were the training groups of the neural network.

For this reason we executed a multiple t-test trial, in order to create the training groups of vectors. Every vector had a  $(1 \times 4)$  dimension. The next step was the test of the degree of the convergence's convenience of learning procedure (see [Fig. 3](#page-11-0)). The intuition of using the Elman neural network helped to create bounded limits, where under the testing procedure the ranking of the candidate vector moves within a predetermined range of values.

In this way, we created a value called Cited Distance (CD) which emerges from the relative difference of the approximation value that the neural network attributed from the lower bounded limit  $(-1.5)$  as presented in [Table 1](#page-5-0). The journal's ranking according to the IF was slightly differentiated using our method. The validity of the classification of the extracted CD factor in the three categories was controlled using t-test. In particular, we created the (3) three groups after bootstrapping experimentation. These were submitted in a t-test control which was presented in [Tables 2–4](#page-8-0). According to the results we concluded that the null hypothesis of non-homogeneity in all cases is to be rejected because these values are greater than the significant value 0.8. Taking this into account, we considered that the classification of these groups is correct. In addition, in



Fig. 5. Comparison scatter plot of the ranking produced for our dataset from the CD factor and the other ranking indices used in the benchmarking analysis.

<span id="page-15-0"></span>



(continued on next page)

Table 7 (continued)

Rank CD	Rank IF	Rank H index	Rank eigenfactor	CD	Impact factor	$H$ index	Eigenfactor	Abbr. journal title
68	69	138	96	15.534	3.299	67	.022	<b>GENES CELLS</b>
69	73	94	100	15.575	3.12	31	.004	<b>CELL PROLIFERAT</b>
70	62	110	127	15.748	3.643	87	.041	<b>J CELL PHYSIOL</b>
71	60	114	61	15.878	3.677	69	.027	<b>J STRUCT BIOL</b>
72	59	152	98	15.881	3.687	24	.10	<b>MATRIX BIOL</b>
73	77	108	108	16.006	3.033	48	.009	<b>IMMUNOL CELL BIOL</b>
74	78	139	133	16.112	2.989	65	.032	<b>FRONT BIOSCI</b>
75 76	71 58	154 89	73 106	16.272 16.362	3.224 3.695	52 107	.012 .065	EUR J CELL BIOL EXP CELL RES
77	85	52	117	16.400	2.857	42	.010	<b>IUBMB LIFE</b>
78	55	77	42	16.467	3.791	58	.015	HISTOPATHOLOGY
79	97	113	77	16.763	2.402	30	.021	<b>CYTOGENET GENOME RES</b>
80	39	100	87	16.860	4.571	28	.001	PROG HISTOCHEM CYTO
81	100	65	97	17.024	2.308	21	.003	NEUROSIGNALS
82	81	106	99	17.146	2.94	20	.001	ANAL QUANT CYTOL
83	84	107	57	17.291	2.893	49	.011	HISTOCHEM CELL BIOL
84	86	46	83	17.361	2.853	46	.007	<b>CELL STRESS CHAPERON</b>
85 86	70 129	84 117	90 122	17.566 17.582	3.263 1.493	145 11	.171 .037	<b>FEBS LETT</b> <b>STEM CELL REV</b>
87	83	73	29	17.620	2.899	49	.010	<b>DIFFERENTIATION</b>
88	80	103	51	17.642	2.971	66	.026	MOL CELL ENDOCRINOL
89	82	83	75	17.719	2.9	41	.007	NITRIC OXIDE-BIOL CH
90	96	87	103	18.216	2.419	88	.011	<b>BIOCHEM CELL BIOL</b>
91	109	133	37	18.257	1.953	30	.005	<b>CELL BIOCHEM BIOPHYS</b>
92	74	33	112	18.311	3.115	33	.003	<b>BIOSCIENCE REP</b>
93	98	75	65	18.373	2.364	35	.005	MOL CELL PROBE
94	95	97	78	18.403	2.445	37	.007	<b>WOUND REPAIR REGEN</b>
95	110	45	38	18.470	1.935	29	.005	J NEUROCYTOL
96	88	96	43	18.568	2.634	54	.007	<b>I BIOENERG BIOMEMBR</b>
97 98	87 111	112 43	45 154	18.689 18.703	2.667 1.916	52 30	.010 .008	J INTERF CYTOK RES <b>MOL CELLS</b>
99	101	64	67	19.001	2.245	61	.010	<b>TISSUE ANTIGENS</b>
100	94	78	119	19.132	2.483	44	.007	CELL MOL NEUROBIOL
101	119	122	55	19.214	1.776	32	.005	<b>CELLS TISSUES ORGANS</b>
102	112	15	79	19.226	1.915	27	.004	<b>PLATELETS</b>
103	102	36	24	19.275	2.169	48	.012	<b>CYTOKINE</b>
104	117	24	68	19.341	1.815	31	.002	J RECEPT SIG TRANSD
105	121	99	12	19.414	1.74	24	.003	<b>ENDOTHELIUM-J ENDOTH</b>
106	106	125	125	19.471	2.007	45	.009	HISTOL HISTOPATHOL
107	107	21	36	19.509	$\overline{2}$	45	.006	PROSTAG LEUKOTR ESS
108 109	104 116	23 74	88 71	19.520 19.547	2.068 1.831	40 27	.008 .005	DEV GENES EVOL <b>GROWTH HORM IGF RES</b>
110	105	88	33	19.690	2.064	37	.003	EUR CYTOKINE NETW
111	103	68	21	19.772	2.078	67	.005	<b>MOL MED</b>
112	92	111	35	19.880	2.538	57	.014	MOL REPROD DEV
113	115	119	44	19.919	1.861	43	.006	<b>DNA CELL BIOL</b>
114	108	71	5	20.190	1.968	38	.006	PROSTAG OTH LIPID M
115	124	41	74	20.223	1.676	20	.004	CELL MOL BIOL LETT
116	155	44	64	20.342	0	15	.000	CELL STEM CELL
117	91	18	47	20.376	2.542	47	.009	CELL MOTIL CYTOSKEL
118 119	140 89	35 62	41 49	20.562 20.686	1.13 2.613	12 67	.003 .020	J MOL HISTOL <b>CELL TISSUE RES</b>
120	154	67	18	20.860	0	$\overline{4}$	.000	<b>IET SYST BIOL</b>
121	114	19	86	21.031	1.882	$\boldsymbol{4}$	.004	CELL STRUCT FUNCT
122	93	127	23	21.092	2.527	58	.011	J MEMBRANE BIOL
123	125	$\sqrt{5}$	70	21.123	1.561	25	.003	CELL BIOCHEM FUNCT
124	127	12	50	21.161	1.547	26	.002	PATHOBIOLOGY
125	123	70	53	21.237	1.707	61	.023	MOL CELL BIOCHEM
126	128	49	3	21.319	1.504	29	.006	<b>INFLAMM RES</b>
127	126	90	13	21.378	1.547	80	.007	<b>CELL BIOL INT</b>
128	113	40	$\overline{7}$	21.407	1.908	31	.004	DEV GROWTH DIFFER
129	90	47	14	21.642	2.6	17	.000 .002	ADV ANAT EMBRYOL CEL
130 131	137 120	17 34	17 58	21.651 21.668	1.162 1.758	24 29	.002	MEDIAT INFLAMM CELL BIOL TOXICOL
132	134	53	34	21.934	1.261	18	.002	EUR J HISTOCHEM
133	118	58	40	22.118	1.808	49	$.008$	<b>CELL IMMUNOL</b>
134	136	11	76	22.266	1.222	20	.002	<b>CYTOPATHOLOGY</b>
135	145	76	$\,8\,$	22.485	0.886	16	.001	FOLIA HISTOCHEM CYTO
136	153	13	19	22.513	0.214	3	.000	<b>BRAIN CELL BIOL</b>
137	132	3	72	22.659	1.443	25	.002	ZYGOTE

Table 7 (continued)

Rank CD	Rank IF	Rank H index	Rank eigenfactor	<b>CD</b>	Impact factor	$H$ index	Eigenfactor	Abbr. journal title
138	122	14	15	22.670	1.731	36	.005	<b>I MUSCLE RES CELL M</b>
139	139	30	26	22.787	1.154	40	.005	CELL MOL BIOL
140	130	8	11	23.111	1.493	34	.004	<b>PROTOPLASMA</b>
141	149	28	16	23.659	0.548	34	.002	IN VITRO CELL DEV-PL
142	144	85	85	23.840	0.938	20	.002	<b>ACTA HISTOCHEM</b>
143	133	26	30	24.455	1.286	18	.000	<b>BIOTECH HISTOCHEM</b>
144	141	$\mathbf{1}$		24.496	1.085	31	.004	<b>CONNECT TISSUE RES</b>
145	135	16	6	24.525	1.237	29	.002	<b>TISSUE CELL</b>
146	148	7	28	24.551	0.589	25	.001	<b>CYTOTECHNOLOGY</b>
147	147	27	$\overline{2}$	24.830	0.66	34	.002	IN VITRO CELL DEV-AN
148	142	6	27	24.881	$\mathbf{1}$	28	.001	<b>INFLAMMATION</b>
149	152	10	20	25.014	0.266	5	.000	<b>BIOL MEMBRANY</b>
150	150	31	62	25.090	0.456	13	.000	ACTA HISTOCHEM CYTOC
151	151	20	10	25.158	0.333	11	.000	<b>BIOCELL</b>
152	146	22	9	25.267	0.697	38	.003	<b>ACTA CYTOL</b>
153	155	9	22	25.573	$\mathbf{0}$	35	.004	<b>METHOD CELL BIOL</b>
154	99	$\overline{2}$	31	25.660	2.335	40	.018	<b>I HISTOCHEM CYTOCHEM</b>
155	143	4	4	26.713	0.986	24	.002	<b>ARCH HISTOL CYTOL</b>

an extra Cross-correlation control among different vectors, which have been chosen randomly (see [Table 5\)](#page-9-0), an extra corroboration of the [Tables 2–4,](#page-8-0) for example, the vector 2 versus 68 has been observed, which gave a significant value, namely  $r = 0.10$ , showing the non-homogeneity relationship, while the vector 1 versus 2 yielded another significant value, namely  $r = 0.99$ , showing the homogeneity relationship.

The differentiation test was performed using the non- parametric Wilcoxon method (see [Table 6\)](#page-13-0). and showed that the ranking according to the IF did not change dramatically using the CD According to [Table 6](#page-13-0) a bigger differentiation was noticed in category ( $P > 0.5974$ ), whereas the differentiation was lower in the max ( $P > 0.9752$ ) and intercalary in the min  $(P > 0.7297)$ . The probability value was explicated as the satisfaction's coefficient of the null hypothesis with  $(P = 1)$  in the case where the two groups were identical.

The qualitative analysis of the results showed that all the vectors took part in the configuration (and they should) of the ranking. In Table 8, which is a part of [Table 1,](#page-5-0) we can see that the differentiation occurred from cited half-life, citing half-time and immediacy index. As cited half-life, citing half-time and immediacy index are closer to zero, the order of the initial ranking increases (see [Tables 7–9\)](#page-15-0). The benchmarking analysis presented in Section 4.3 also concludes the merit of the CD factor as a complementary index for the evaluation of a scientific venue, in that case a scientific journal (see Table 10).

To this end the contributions of this study can be summarized in the three following points:

- 1. We introduced a new standard measure (threshold  $-1.5$ ) for the evaluation of each journal, which has taken us towards the direction of using indirect comparison for the journals.
- 2. We created a global factor called CD which includes the four [\(4\)](#page-3-0) most significant factors, which, according to evaluated results, is considered to be sounder than those of IF.
- 3. We introduced three new homogeneous categories (max, med, min) for evaluation the journals. Their statistical evaluation showed that these may be validly used for the characterization of each journal.

#### Table 8

Changes in order in terms of cited half-life.



#### Table 9

Changes in order in terms of citing half-time.



#### Table 10

Changes in order in terms of immediacy index.



## <span id="page-18-0"></span>5.2. Future work

The approach presented in this study could be extended to other topics such as the incorporation of social indexes to the evaluation of the scientific impact of the individuals by combining a set of different bibliometric indicators that measure the individual research output across different scientific domains [17]. A future study could be for example to modify the input vector of the neural network by adding the ''Price index" in order to investigate the problem of the distinction between hard and soft science where the citation rates are significantly different [34]. Also an interesting direction could be to extend to the direction of web information retrieval, where we could evaluate the correlation of a URL with others of the same thematic subject [15,23,39]. Furthermore, a future extension of this study will be to add more ranking indexes to one in order to make the provided index a bridging coefficient with other significant factors such as social connectedness factors (e.g. in the context of co-authorship networks), which would give it an even more accurate scientific impact indication [31].

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